

केंद्रीय विद्यालय संगठन ,जयपुर रीजन
KENDRIYA VIDYALAYA SANGATHAN JAIPUR REGION

पूर्व -बोर्ड / Pre-Board Examination- 1st : 2024-25

सेट सं /SET No :- A

कक्षा/ Class: 10 विषय /SUBJECT- MATHS STANDRAD (041)

MARKING SCHEME

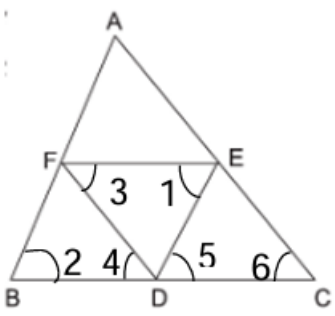
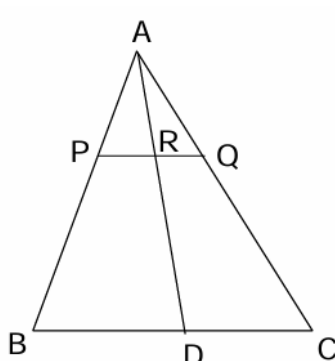
S.No.	Section A	Marks
1.	(a) $x^2 - 9$	1
2.	(a) a) It has a solution (either a unique or infinitely many).	1
3.	(b) 70°	1
4.	(b) $n(n+2)$	1
5.	(b) $2r$	1
6.	(a) 1	1
7.	(b) 3 cm	1
8.	(d) at most n Zeroes	1
9.	(b) 4 : 3	1
10.	(b) isosceles and similar	1
11.	(b) -2	1
12.	(c) $\sqrt{3}$	1
13.	(d) 64	1
14.	(c) $1/3$	1
15.	(a) 1:2	1
16.	(b) Centred at the class marks of the class	1
17.	(b) 2:3	1
18.	(d) $3/26$	1
19.	(a)Both assertion (A) and reason (R) are true and reason (R) is the correct explanation of assertion (A)	1
20.	(d) Assention (A) is false but Reason (R) is true.	1

SECTION - B

21.	<p>We have $96 = 2^5 \times 3$ and $404 = 2^2 \times 101$ $\therefore \text{HCF} = 2^2 = 4$ Given $\text{HCF} = 404m - 96n$ $\Rightarrow 404m - 96n = 4$ $\Rightarrow 4(101m - 24n) = 4$ $\Rightarrow 101(5) - 24n = 1$ $\Rightarrow n = 21$</p> <p style="text-align: center;">OR</p> <p>$\text{LCM}(48, 56, 36) = 1008 \text{ sec}$ $1008 \text{ sec} = 16 \text{ min } 48 \text{ sec}$ So bell will ring at 7: 16 am 48 sec</p>	<p>$1/2$</p> <p>$1/2$</p> <p>1</p> <p>1</p> <p>1</p>
22.	$P(\text{winning a lottery}) = \frac{\text{Favorable outcomes}}{\text{Total no of outcomes}} = \frac{5}{1000} = 0.005$	<p>1</p> <p>1</p>

OR		
	(b) (i) 8/25 (ii) 4/5	1 1
23.	$\sin A = \frac{\sqrt{3}}{2}$ then $\cot A = \frac{1}{\sqrt{3}}$ $2\cot^2 A - 1 = \frac{-1}{3}$	1 1
24.	<p>Let AB be the diameter of the circle having its center at C(1,-3) such that coordinates of one end A are (-4,1). Let the coordinates of B be (x,y). Since C is the mid point OF AB.</p> <p>\therefore C coordinate is $\left(\frac{x+4}{2}, \frac{y-1}{2}\right)$</p> <p>But, the coordinates of C are given to be (1, -3)</p> <p>$\frac{x+4}{2} = 1$ and $\frac{y-1}{2} = -3 \Rightarrow x+4=2$ and $y-1 = -6$</p> <p>$\Rightarrow x = -2$ and $y = -5$</p> <p>So Coordinates of B are (-2, -5)</p>	1 1
25.	$\sqrt{(x-7)^2 + (y-1)^2} = \sqrt{(x-3)^2 + (y-5)^2}$ Squaring both sides $(x-7)^2 + (y-1)^2 = \sqrt{(x-3)^2 + (y-5)^2}$ $x-y = 2$	1 1

SECTION - C		
26.	$\sec \theta - \tan \theta = 1/p$ $\sec \theta = \frac{p^2 + 1}{2p}$ $\tan \theta = \frac{p^2 - 1}{2p}$ $\sin \theta = \frac{p^2 - 1}{p^2 + 1}$	1/2 1 1/2 1
27.	Correct proof	3
28.	<p>It is given that α and β are the zeroes of the quadratic polynomial $f(x) = kx^2 + 4x + 4$.</p> <p>$\therefore \alpha + \beta = -\frac{4}{k}$ and $\alpha\beta = \frac{4}{k}$</p> <p>We have, $\alpha^2 + \beta^2 = 24$ $(\alpha + \beta)^2 - 2\alpha\beta = 24$</p> <p>$\Rightarrow \left(-\frac{4}{k}\right)^2 - 2 \times \frac{4}{k} = 24 \Rightarrow \frac{16}{k^2} - \frac{8}{k} = 24$</p> <p>$\Rightarrow 16 - 8k = 24k^2 \Rightarrow 3k^2 + k - 2 = 0$</p> <p>$\Rightarrow k = -1$ or $2/3$</p>	1/2 1 1/2 1

<p>29.</p>	<p>Since D, E, F are the mid points of BC, CA, AB respectively Therefore, $EF \parallel BC, DF \parallel AC, DE \parallel AB$ BDEF is a parallelogram $\angle 1 = \angle 2$ & $\angle 3 = \angle 4$ $\Delta FBD \sim \Delta DEF$ Also, DCEF is a parallelogram $\angle 3 = \angle 6$ & $\angle 1 = \angle 2$ (proved above) $\Delta DEF \sim \Delta ABC$</p> <p style="text-align: center;">OR</p> <p>Since $PQ \parallel BC$ therefore $\Delta APR \sim \Delta ABD \Rightarrow \frac{AP}{AB} = \frac{PR}{BD}$ (i) $\Delta AQR \sim \Delta ACD \Rightarrow \frac{AQ}{AC} = \frac{RQ}{DC}$ (ii) Now, $\frac{AP}{AB} = \frac{AQ}{AC}$(iii) Using (i), (ii) & (iii), $PR \cdot DC = RQ \cdot BD$ But, $BD = DC \Rightarrow PR = RQ$ or AD bisects PQ</p>	 	<p>1 $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ 1 1 1 1</p>
<p>30.</p>	<p>Radius of park = r Radius of outer circle $R = r + 7$ $2\pi r = 88$ $\Rightarrow r = 14$ \Rightarrow Radius of outer circle is $R = r + 7 = 14 + 7 = 21$ \Rightarrow Area of road surrounding the park = $A = \pi R^2 - \pi r^2$ $\pi [21^2 - 14^2]$ 245π</p> <p style="text-align: center;">OR</p> <p>$\theta = 30^\circ ; R = 7 ; r = 7/2$ Area of Shaded region = $\frac{30}{360} (\pi R^2 - \pi r^2) = \frac{1}{12} \frac{22}{7} (7^2 - 3.5^2) = 9.625$ or $(77/8)$</p>		<p>1 2 $\frac{1}{2}$ $2\frac{1}{2}$</p>
<p>31.</p>	<p>$(x,y) = (2,1)$</p>		<p>3</p>

SECTION - D

<p>32.</p>	<p>Let there be n persons and each get p rupees Hence, $p = \frac{9000}{n}$ $\frac{9000}{n} - \frac{9000}{n+20} = 160$ $n^2 + 20n - 1125 = 0$ $n^2 + 45n - 25n - 1125 = 0$</p>	<p>2 2</p>
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	$(n + 45)(n - 25) = 0$ $n = 25, -45$ Thus, number of persons are 25 <p style="text-align: center;">OR</p> It is given that the tank is filled in $\frac{8}{75}$ hours that is, the taps fill $\frac{75}{8}$ part of the tank in 1 hour. Then, $\frac{1}{x} + \frac{1}{x+10} = \frac{8}{75}$ $4x^2 - 115x + 375 = 0$ $(4x - 15)(x - 25) = 0$ $4x - 15 = 0$ $x = 415$ or, $x - 25 = 0$ $x = 25$ When $x = 415$, then, $x - 10 = 415 - 10$ $= 415 - 40$ $= -425$ This cannot be possible because time can never be negative. When $x = 25$, then, $x - 10 = 25 - 10$ $x = 25$ Therefore, the tap of smaller diameter can separately fill the tank in 25 hours.	1
		2
		2
		1
33.	Applying property of perpendicular from centre to chord $PA \cdot PB = (PN - AN)(PN + BN)$ $PA \cdot PB = (PN - AN)(PN + AN)$ [AN=BN as ON⊥AB] $PA \cdot PB = PN^2 - AN^2$ $PN^2 - AN^2 = (OP^2 - ON^2) - AN^2$ $PN^2 - AN^2 = OP^2 - OA^2$ $PN^2 - AN^2 = OP^2 - OT^2$...(ii) [OA=OT=radii of circle] Use above result to evaluate unknown $PA \cdot PB = OP^2 - OT^2$ $PA \cdot PB = PT^2$ [In ΔOTP, $PT^2 = OP^2 - OT^2$ (By Pythagoras theorem)] $PA \cdot PB = PT^2$	$\frac{1}{2}$
		1
		$1\frac{1}{2}$
		2
34.	Correct figure Height $20\sqrt{3}$ Distances 20 ,60	1
		$1\frac{1}{2}$
		$1\frac{1}{2} + 1$
35.	$F_1 + f_2 = 32$ Correct complete table Correct ΣFx	$\frac{1}{2}$
		1
		1

	$F_1 \text{ \& } F_2 = 10, 22$ <p style="text-align: center;">OR</p> $x + y = 16$ Correct Values in Formula $x \text{ \& } y = 10 \text{ \& } 6$	$2\frac{1}{2}$ $\frac{1}{2}$ 1 $3\frac{1}{2}$
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SECTION E		
36.	<p>Let , policeman take n min to catch the thief , then thief runs $(n+3)$ min.</p> <p>(i) $an+3 = 47 + 2n$</p> <p>(ii) $S_n = 5n^2 + 135n$</p> <p>(iii) (a) S_{n+3} Thief = S_n policeman $3n^2 + 13n - 90 = 0$ $n = -18$ min. time is always positive so $n = 5$</p> <p style="text-align: center;">OR</p> <p>(b) S_{n+3} Thief = S_n policeman $n^2 - 32n + 135 = 0$ at $n = 27$ min. distance covered by thief will negative, so $n = 5$ min</p>	 1 1 2 2
37.	<p>i. $25\sqrt{3}/3$ m ii. 24 m iii. (a) $30(\sqrt{3} - 1)$ m</p> <p style="text-align: center;">OR</p> <p>(b) 45 m</p>	1 1 2
38.	<p>i. AA ii. 4:3 iii. (a) 1.6 m</p> <p style="text-align: center;">OR</p> <p>(b) $\sqrt{48.96}$ m</p>	1 1 2