

केंद्रीय विद्यालय संगठन ,जयपुर संभाग
KENDRIYA VIDYALAYA SANGATHAN JAIPUR REGION
पूर्व -बोर्ड / Pre-Board Examination-1st : 2024-25
सेट सं /SET No :- A

कक्षा/ Class: 10 विषय /SUBJECT- MATHS BASIC (241)

SECTION A		1
1	(c) Atmost 2	1
2	(a) k=10	1
3	(c) (0, 0)	1
4	(a) 3	1
5	(c) 2	1
6	(d) π	1
7	(b) quadratic	1
8	(d) 9π cm ²	1
9	no change	1
10	(b) 4	1
11	(c) $\sqrt{5/2}$	1
12	(a) two cones and a cylinder	1
13	(b) 25	1
14	(a) 22/46	1
15	(b) 50°	1
16	(c) 45°	1
17	(d) Cyclic Quadrilateral	1
18	(A) $\frac{4}{7}$	1
19	A)Both assertion (A) and reason(R) are true and reason (R) is the correctexplanation of assertion	1
20	D)Assertion (A) is false but reason (R) is true.	1
SECTION B		
21	<p>Let two points be A (x_1, y_1) and B(x_2, y_2). P (x, y) divides internally the line joining A and B in the ratio $m_1: m_2$.</p> <p>Let $x_1 = - 1, y_1 = 7, x_2 = 4$ and $y_2 = - 3, m = 2, n = 3$</p> <p>By Section formula, P (x, y) = $[(mx_2 + nx_1 / m + n) , (my_2 + ny_1 / m + n)]$ –(1)</p> <p>By substituting the values in the equation (1)</p> <p>$x = [2 \times 4 + 3 \times (- 1)] / (2 + 3)$ and $y = [2 \times (- 3) + 3 \times 7] / (2 + 3)$</p>	

	<p>$x = (8 - 3) / 5$ and $y = (-6 + 21) / 5$ $x = 5/5 = 1$ and $y = 15/5 = 3$ Therefore, the coordinates of point P are (1, 3).</p>	1
		1
22	<p>i) Total number of outcomes = 36 The favorable outcomes are= [(2,2),(2,4),(2,6),(4,2),(4,4),(4,6),(6,2),(6,4),(6,6)] Total number of favorable outcomes = 9 Probability of getting doublet = $9/36 = 1/4$</p> <p>ii) Favourable outcome = {(1,6) (2,5) (3,4) (4,3) (5,2) (6,1)} Number of favourable outcomes = 6 Number of possible outcomes = 36 Probability = number of favourable outcomes / number of possible outcomes Probability of getting a sum of 7 = $6/36 = 1/6$ Therefore, the probability of getting the sum of 7 on the dice is $1/6$.</p> <p>OR</p> <p>Probability = Number of possible outcomes / Total number of favorable outcomes.</p> <p>$P(E) + P(\text{not } E) = 1$ Number of red balls in a bag = 5 Number of white balls in a bag = 8 Number of green balls in a bag = 4 Total number of balls = $5 + 8 + 4 = 17$</p> <p>(i) Probability of drawing red ball = $5/17$ (ii) Probability of drawing a green ball = $4/17$ Let the probability of not getting a green ball be P (not E) $P(\text{not } E) = 1 - P(E)$ $= 1 - 4/17 = 13/17$</p>	1
		1
23	<p>HCF (a,b) × LCM (a, b) = a × b. $9 \times \text{LCM} = 306 \times 657$ $\text{LCM} = 306 \times 657 / 9 = 22338$ LCM of 306 and 657 is 22338</p> <p>OR</p>	2

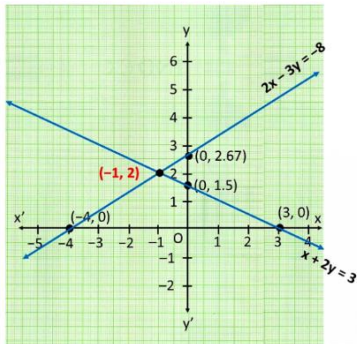
	<p>Prime factorization of 144, 180, and 192 is $(2 \times 2 \times 2 \times 2 \times 3 \times 3) = 2^4 \times 3^2$, $(2 \times 2 \times 3 \times 3 \times 5) = 2^2 \times 3^2 \times 5^1$, and $(2 \times 2 \times 2 \times 2 \times 2 \times 2 \times 3) = 2^6 \times 3^1$ respectively. LCM of 144, 180, and 192 = $2^6 \times 3^2 \times 5^1 = 2880$.</p> <p>Hence, the LCM of 144, 180, and 192 by prime factorization is 2880.</p>	2
24	$= \frac{5\left(\frac{1}{2}\right)^2 + 4\left(\frac{2}{\sqrt{3}}\right)^2 - (1)^2}{\left(\frac{1}{2}\right)^2 + \left(\frac{\sqrt{3}}{2}\right)^2}$ $= \frac{\frac{5}{4} + 4 \times \frac{2 \times 2}{\sqrt{3} \times \sqrt{3}} - 1}{\frac{1}{4} + \frac{\sqrt{3} \times \sqrt{3}}{2 \times 2}}$ $= \frac{\frac{5}{4} + \frac{16}{3} - 1}{\frac{1}{4} + \frac{3}{4}}$ <p>SO</p> $\frac{5\cos^2 60^\circ + 4\sec^2 30^\circ - \tan^2 45^\circ}{\sin^2 30^\circ + \cos^2 30^\circ} = 67/12$	1 1
25	<p>Distance Formula = $\sqrt{[(x_2 - x_1)^2 + (y_2 - y_1)^2]}$</p> <p>Q (0, 1) is <u>equidistant</u> from P (5, - 3) and R (x, 6). So, PQ = QR</p> $\sqrt{(5 - 0)^2 + (-3 - 1)^2} = \sqrt{(0 - x)^2 + (1 - 6)^2}$ $\sqrt{(5)^2 + (-4)^2} = \sqrt{(-x)^2 + (-5)^2}$ <p>By <u>squaring</u> both the sides, $25 + 16 = x^2 + 25$</p> $x = \pm 4$	1 1
SECTION C		
26	Full marks for correct proof	3

<p>27</p>	<p>in $\triangle ABC$ $DE \parallel AC$ $BD/AD = BE/EC$(i) In $\triangle ABE$ $DF \parallel AE$ $BD/AD = BF/FE$(ii) $BD/AD = BE/EC = BF/FE$ Thus, $BE/EC = BF/FE$</p> <p style="text-align: center;">OR</p> <p>In $\triangle ABC$ and $\triangle AMP$</p> <p>In $\triangle ABC$ and $\triangle AMP$ $\angle ABC = \angle AMP$ (\because both the angles are equal to 90°) $\angle BAC = \angle PAM$ (Each = $\angle A$) $\Rightarrow \triangle ABC \sim \triangle AMP$ (By AA similarity criteria) Step 2: To prove the condition $\frac{CA}{PA} = \frac{BC}{MP}$ As $\triangle ABC \sim \triangle AMP$ and corresponding sides of similar triangle are in same ratio. $\Rightarrow \frac{CA}{PA} = \frac{BC}{MP}$ Hence it is proved that $\triangle ABC \sim \triangle AMP$ and $\frac{CA}{PA} = \frac{BC}{MP}$</p>	<p>$1\frac{1}{2}$</p> <p>$1\frac{1}{2}$</p> <p>$1\frac{1}{2}$</p> <p>$1\frac{1}{2}$</p>
<p>28</p>	<p>first number x. Then, the second number is $x + 2$ $x(x + 2) = 143$</p> <p>$x^2 + 2x - 143 = 0$</p> <p>$x = 11, x = -13$ 11 and 13 -11 and -13</p>	<p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p>
<p>29</p>	<p>Let the roots of the polynomial $2x^2 - 5x - 3$ be denoted by r_1 and r_2. According to Vieta's formulas, we have:</p> $r_1 + r_2 = -\frac{-5}{2} = \frac{5}{2}$ $r_1 r_2 = \frac{-3}{2}$ <p>The roots of the polynomial $x^2 + px + q$ are double the values of r_1 and r_2. Thus, we can denote the roots of $x^2 + px + q$ as $2r_1$ and $2r_2$.</p> <p>Using Vieta's formulas for the polynomial $x^2 + px + q$, we have:</p> $2r_1 + 2r_2 = -p$ $(2r_1)(2r_2) = q$	<p>1</p> <p>1</p> <p>$\frac{1}{2}$</p> <p>$\frac{1}{2}$</p>

Y	1.5	0
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For Equation (2) $2x - 3y = -8$

X	0	-4
Y	2.67	0



Solution $x = -1$ and $y = 2$

Area = 7 square unit

$1\frac{1}{2}$

1

1

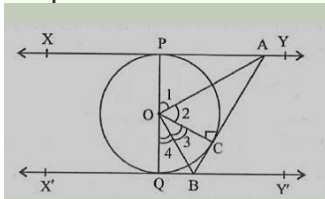
33

- (a) (i) correct proof
- (a) (ii) correct proof

OR

Given, XY & $X'Y'$ are parallel

To prove: $\angle AOB = 90^\circ$ Const. : Join OC.



Proof : In $\triangle OPA$ and $\triangle OCA$
 $\therefore \triangle OPA \cong \triangle OCA$ (RHS Cong Rule)

Similarly, $\triangle OQB \cong \triangle OCB$

$\angle POQ = 180^\circ$ (Straightangle)

$\angle 1 + \angle 2 + \angle 3 + \angle 4 = 180^\circ$

$\angle 2 + \angle 3 = 90^\circ$ Hence, $\angle AOB = 90^\circ$

2

3

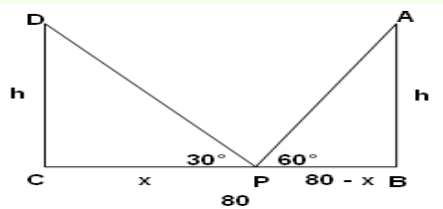
Fig

1

2

2

34



$$h = x\sqrt{3}$$

$$h/(80-x) = \sqrt{3}$$

$$x = 60$$

$$80 - x = 20$$

$$H = 20\sqrt{3}$$

Fig

1

1

1

1

1

35

$$\text{Median} = l + \left[\frac{n/2 - cf}{f} \right] \times h$$

Class Interval	Frequency	Cumulative frequency
0 - 10	5	5
10 - 20	x	5 + x
20 - 30	20	25 + x
30 - 40	15	40 + x
40 - 50	y	40 + x + y
50 - 60	5	45 + x + y

$$N=60$$

$$45 + x + y = 60 \quad x + y = 15 \dots\dots(i)$$

$$28.5 = 20 + \left[\frac{(60/2 - (5 + x))}{20} \right] \times 10$$

$$x = 8 \quad y = 7$$

OR

Class interval	Frequency	Cumulative frequency
117.5 - 126.5	3	3
126.5 - 135.5	5	8
135.5 - 144.5	9	17 (c)
144.5 - 153.5	12 (f)	29
153.5 - 162.5	5	34
162.5 - 171.5	4	38
171.5 - 180.5	2	40
	$n = 40$	

$$\because n = 40 \quad \therefore \frac{n}{2} = \frac{40}{2} = 20.$$

Since 12 is the maximum frequency, so the median class is (144.5 - 153.5).

Here, $l = 144.5$, $f = 12$, $cf = 17$ and $h = 9$

$$\begin{aligned} \therefore \text{Median} &= l + \left(\frac{\frac{n}{2} - cf}{f} \right) \times h \\ &= 144.5 + \left(\frac{20 - 17}{12} \right) \times 9 \\ &= 144.5 + \frac{9}{4} \\ &= 144.5 + 2.25 = 146.75 \text{ mm.} \end{aligned}$$

Hence, the median length of leaves is **146.75 mm.**

 $1\frac{1}{2}$ $1\frac{1}{2}$

2

2

1

1

1

SECTION E		
36	i) $d = 200$ & $a = 1200$	1
	ii) $t_{12} = 3400$	1
	iii) $S_n = n/2 [2a + (n - 1)d]$ $S_{10} = 5 \times 4200 = 21000$ OR $S_n = n/2 [2a + (n - 1)d] = 31200$ $n = 13$	2
37	(i)- ΔABM and ΔCDM , AA Criterion.	1
	(ii) 3cm	1
	(iii) 18cm OR 60°	2
38	(a) 4.71m^2	1
	(b) 1.57m^2	1
	(c) 0.0924m^2 OR 2.64m^2	2